

# **Knowledge Representation & Reasoning**

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# Ordering goals

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Example:

$\text{AmericanCousinOf}(x,y) \Leftarrow \text{American}(x) \wedge \text{CousinOf}(x,y)$

In back-chaining, can try to solve either subgoal first

Not much difference for  $\text{AmericanCousinOf}(\text{fred}, \text{sally})$ , but big difference for  $\text{AmericanCousinOf}(x, \text{sally})$

1. find an American and then check to see if she is a cousin of Sally
2. find a cousin of Sally and then check to see if she is an American

So want to be able to order goals

better to generate cousins and test for American

In Prolog: order clauses, and literals in them

Notation:  $G :- G_1, G_2, \dots, G_n$  stands for

$$G \Leftarrow G_1 \wedge G_2 \wedge \dots \wedge G_n$$

but goals are attempted in presented order

# Commit

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Need to allow for backtracking in goals

$\text{AmericanCousinOf}(x,y) \text{ :- CousinOf}(x,y), \text{American}(x)$

for goal  $\text{AmericanCousinOf}(x,\text{sally})$ , may need to try to solve the goal  $\text{American}(x)$  for many values of  $x$

But sometimes, given clause of the form

$G \text{ :- } T, S$

goal  $T$  is needed only as a *test* for the applicability of subgoal  $S$

- if  $T$  succeeds, commit to  $S$  as the *only* way of achieving goal  $G$ .
- if  $S$  fails, then  $G$  is considered to have failed
  - do not look for other ways of solving  $T$
  - do not look for other clauses with  $G$  as head

In Prolog: use of cut symbol

Notation:  $G \text{ :- } T_1, T_2, \dots, T_m, !, G_1, G_2, \dots, G_n$

attempt goals in order, but if all  $T_i$  succeed, then commit to  $G_i$

# If-then-else

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Sometimes inconvenient to separate clauses in terms of unification:

$G(\text{zero}, -) :- \text{method 1}$   
 $G(\text{succ}(n), -) :- \text{method 2}$

For example, may split based on computed property:

$\text{Expt}(a, n, x) :- \text{Even}(n), \dots$  (*what to do when  $n$  is even*)  
 $\text{Expt}(a, n, x) :- \text{Even}(s(n)), \dots$  (*what to do when  $n$  is odd*)

want: check for even numbers only once

Solution: use ! to do if-then-else

$G :- P, !, Q.$   
 $G :- R.$

To achieve  $G$ : if  $P$  then use  $Q$  else use  $R$

Example:

$\text{Expt}(a, n, x) :- n = 0, !, x = 1.$   
 $\text{Expt}(a, n, x) :- \text{Even}(n), !, \text{ (for even } n)$   
 $\text{Expt}(a, n, x) :- \text{ (for odd } n)$

Note: it would be correct to write

$\text{Expt}(a, 0, x) :- !, x = 1.$

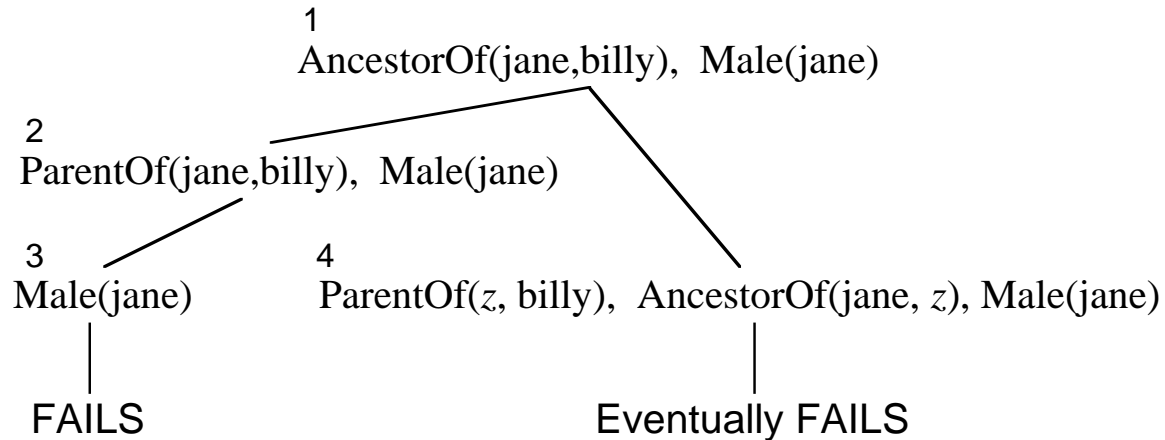
but not

$\text{Expt}(a, 0, 1) :- !.$

# Controlling backtracking

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Consider solving a goal like



So goal should really be:  $\text{AncestorOf}(\text{jane}, \text{billy}), !, \text{Male}(\text{jane})$

Similarly:

$\text{Member}(x, l) \leftarrow \text{FirstElement}(x, l)$

$\text{Member}(x, l) \leftarrow \text{Rest}(l, l') \wedge \text{Member}(x, l')$

If only to be used for testing, want

$\text{Member}(x, l) \text{ :- } \text{FirstElement}(x, l), !, .$

On failure, do not try  
to find another  $x$  later  
in the rest of the list



# Dynamic DB

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Sometimes useful to think of DB as a snapshot of the world that can be changed dynamically

assertions and deletions to the DB

then useful to consider 3 procedural interpretations for rules like

$$\text{ParentOf}(x,y) \Leftarrow \text{MotherOf}(x,y)$$

1. If-needed: Whenever have a goal matching  $\text{ParentOf}(x,y)$ , can solve it by solving  $\text{MotherOf}(x,y)$   
ordinary back-chaining, as in Prolog
2. If-added: Whenever something matching  $\text{MotherOf}(x,y)$  is added to the DB, also add  $\text{ParentOf}(x,y)$   
forward-chaining
3. If-removed: Whenever something matching  $\text{ParentOf}(x,y)$  is removed from the DB, also remove  $\text{MotherOf}(x,y)$ , if this was the reason  
keeping track of dependencies in DB

Interpretations (2) and (3) suggest demons

procedures that monitor DB and fire when certain conditions are met

# The Planner language

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Main ideas:

1. DB of facts

(Mother susan john) (Person john)

2. If-needed, if-added, if-removed procedures consisting of

- body: program to execute
- pattern for invocation (Mother  $x$   $y$ )

3. Each program statement can succeed or fail

- **(goal  $p$ )**, **(assert  $p$ )**, **(erase  $p$ )**,
- **(and  $s$  ...  $s$ )**, statements with backtracking
- **(not  $s$ )**, negation as failure
- **(for  $p$   $s$ )**, do  $s$  for every way  $p$  succeeds
- **(finalize  $s$ )**, like cut
- a lot more, including all of Lisp

Shift from proving conditions  
to making conditions hold!

examples: **(proc if-needed** (cleartable)  
          **(for** (on  $x$  table)  
            **(and** (**erase** (on  $x$  table)) (**goal** (putaway  $x$ ))))  
**(proc if-removed** (on  $x$   $y$ ) (**print**  $x$  " is no longer on "  $y$ ))